Seat	
No.	

	•	M) (Semester – VANCED STATIS	STICS (Paper –	-
-	nd Date : Monday, 2 10.30 a.m. to 1.00 p			Max. Marks: 70
	2) 3)	All questions are c Each question car Figures to the righ Use of calculators	ries equal marks. nt indicate full mark	íS.
1. Cł	noose the most app	ropriate alternative	amongst the given t	for each question: 14
1)	From all observation	ons selecting few of	f them simultaneous	sly is called
	a) Permutation	b) Combination	c) Both a) and b)	d) None of these
2)	9C ₄ = ? a) 9	b) 36	c) 126	d) none of these
3)	$7p_3 = ?$			
	a) $\frac{7!}{3!}$	b) $\frac{7!}{4!}$	c) $\frac{7!}{4!3!}$	d) none of these
4)	All possible outcor	nes of a random ex	periment is called a	S
·	a) event		b) sample space	
	c) both a) and b)		d) none of these	
5)	When the events a	are mutually exclusi	ive then P (A ∪B) is	5
	a) 1	b) P (A) + P (B)	c) 0	d) P (A) P (B)
6)	The probability of	sure event is		
	a) 0	b) 1	c) ∞	d) none of these
7)	The conditional pro	obability of event B	given that event A I	nas occurred is
,	a) $P(B/A) = P(AB)$	•	b) P (B/A) = P (AE	
	c) $P(B/A) = P(AB)$	3)	d) none of them	

8) The total of Probability mass function is always



		a) – 1	b) 0	c) 1	d) none of these	
	9)	If E $(X) = 10$ then	E (2X) is			
		a) 5	b) 20	c) 40	d) none of these	
	10)	_	nen variance of 2k			
		a) K ²	b) 0	c) 4k	d) none of these	
	11)		ving is probability di		d) (0 1 0 1 0 2 0	\
	40\				d) (0, 1, 0.1, 0.3, 0	.6)
	12)		ted at random from hat selected numbe		, 2, 3, , 50) what	
		a) 9/50	b) 5/50		d) none of these	
	13)	$(X + Y)^0$ is				
		a) 0		b) 0.5		
		c) 1		d) cannot be deter	rmined	
	14)	In tossing of three is	coins at a time the p	orobability of getting	g at least two heads	
		a) 1/8	b) 1/2	c) 7/8	d) none of these	
2.	A)	Define Combination	on of things. Find n	if nC ₂ = 55.		7
	B)	Expand $\left(x + \frac{3}{x^4}\right)^7$				7
3.	A)	State and prove a	dditive law of probal	oility.		7
	B)	The pmf of a r.v. >	(is given by P (x) =	$\frac{X}{15}$ x = 1, 2, 3, 4, 5	5	
		Find E (X) and E (2X + 3)	10		7
4.	At	tempt any one of th	e following :			
	A)	•			the sample space bability distribution	
		of sum of points ap is greater than 8).	ppearing on the upp	ermost faces. Obta	nin P (Sum of points	14
		io greater triair o).			S	די et P
					•	



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B) Define joint pmf of (X, Y). Also define marginal distributions of x and y. 14 For the following joint probability distribution

$$P(X, Y) = \frac{X + 3Y}{24}$$
 $X = 1, 2$ $Y = 1, 2$

$$X = 1, 2$$

Obtain:

- i) marginal distribution of x and y
- ii) conditional distribution of X given Y = 2
- iii) conditional distribution of Y given X = 1
- 5. Attempt any one:
 - A) Define mathematical expectation of r.v. X. Prove that if r.v (X, Y) are independent then E(XY) = E(X) E(Y). The joint probability of X and Y is

Х	-1	0	1
-1	0	0.2	0
0	0.1	0.2	0.1
1	0.1	0.2	0.1

Find:

- i) marginal distributions of X and Y
- ii) Are X and Y are independent?
- iii) Find E (X + Y)
- iv) Find E (XY)
- B) The pmf of X is

Х	1	2	3	4
P (X)	k	2k	Зk	4k

Find:

i) k

ii) E (X)

iii) V(X)

- iv) E(4X 2)
- V) V (4X 2)

Set P

14